

(i) Monografie

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#### (v) Přehledy a souborné referáty (Surveys)

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#### (vi) Ostatní publikace (Other publications)

[O1] L. Zajíček, Třináctý Hilbertův problém, Pokroky Mat. Fyz. Astronom. 19(1974), 22–28.

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(iii) Učební texty (Textbooks)

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